The smart quality supervisor

Problem Description

'T' is a quality supervisor who was recently tasked with inspecting the quality of a batch of minerals. There are n ores in the batch, numbered from 1 to n, each with its weight w_i and value v_i . The process for inspecting minerals is as follows:

1. Given m intervals [l_i, r_i];

2. Select a parameter W;

3. For an interval $[l_i,r_i]$, calculate the test value y_i of the ore on this interval:

$$y = \sum_{j=l_i}^{r_i} [w_j \ge W] \times \sum_{j=l_i}^{r_i} [w_j \ge W] v_j$$

j is the number of the ore.

The inspection result Y of this batch of minerals is the sum of the inspection values of each

interval. Namely:
$$\sum_{i=1}^{m} y_i$$

If the inspection result of this batch of minerals is too different from the given standard value S, another batch of minerals needs to be inspected. T doesn't want to spend time testing another group of minerals, so he wants to make the inspection result as close to the standard values as possible by adjusting the value of the parameter W. That is, to make |S-y| minimum. Would you please help to calculate the minimum value?

Input

The first line contains three integers n, m, and s representing the number of ores, the number of intervals, and the standard value respectively.

For the next n lines, there are two integers per line, separated by a space. Line i+1 represents the weight w_i and value v_i of ore i.

The next m lines represent intervals. There are two integers per line, separated by a space, and the i +n+1 line represents the two endpoints l_i and r_i of the interval $[l_i, r_i]$. Note: Different intervals may coincide or overlap with each other.

Output

5315

- 15
- 25
- 35
- 45

Sample Output

10

Hint

[Explanation of Sample]

When W is selected as 4, the test values of the three intervals are 20, 5, and 0 respectively, and the test result of this batch of minerals is 25. The minimum difference with the standard value S now is 10.

[Data Range]

For 10% of the data, $1 \le n$, $m \le 10$; For 30% of the data, $1 \le n$, $m \le 500$; For 50% of the data, $1 \le n$, $m \le 5,000$; For 70% of the data, $1 \le n$, $m \le 10,000$; For 100% of the data, $1 \le n$, $m \le 200,000$, $0 < w_i$, $v_i \le 10^6$, $0 < s \le 10^{12}$, and $1 \le l_i \le r_i \le n$.